Trade-offs between and within scales: environmental persistence and within-host fitness of avian influenza viruses

Andreas Handel1, Camille Lebarbenchon3, David Stallknecht2
and Pejman Rohani4,5,6

1Department of Epidemiology and Biostatistics, College of Public Health, and 2Department of Population Health, College of Veterinary Medicine, The University of Georgia, Athens, GA 30602, USA
3University of Reunion Island, Avenue Rene´ Cassin, Saint-Denis Cedex 97715, Reunion Island
4Department of Ecology and Evolutionary Biology, and 5Center for the Study of Complex Systems, University of Michigan, Ann Arbor, MI 48109, USA
6Fogarty International Center, National Institutes of Health, Bethesda, MD 20892, USA

Trade-offs between different components of a pathogen’s replication and transmission cycle are thought to be common. A number of studies have identified trade-offs that emerge across scales, reflecting the tension between strategies that optimize within-host proliferation and large-scale population spread. Most of these studies are theoretical in nature, with direct experimental tests of such cross-scale trade-offs still rare. Here, we report an analysis of avian influenza A viruses across scales, focusing on the phenotype of temperature-dependent viral persistence. Taking advantage of a unique dataset that reports both environmental virus decay rates and strain-specific viral kinetics from duck challenge experiments, we show that the temperature-dependent environmental decay rate of a strain does not impact within-host virus load. Hence, for this phenotype, the scales of within-host infection dynamics and between-host environmental persistence do not seem to interact: viral fitness may be optimized on each scale without cross-scale trade-offs. Instead, we confirm the existence of a temperature-dependent persistence trade-off on a single scale, with some strains favouring environmental persistence in water at low temperatures while others reduce sensitivity to increasing temperatures. We show that this temperature-dependent trade-off is a robust phenomenon and does not depend on the details of data analysis. Our findings suggest that viruses might employ different environmental persistence strategies, which facilitates the coexistence of diverse strains in ecological niches. We conclude that a better understanding of the transmission and evolutionary dynamics of influenza A viruses probably requires empirical information regarding both within-host dynamics and environmental traits, integrated within a combined ecological and within-host framework.

1. Introduction

Aquatic birds are the definitive host of influenza A viruses [1,2]. While this fact has long been known, studies of avian influenza viruses (AIVs) in wild birds were limited [3] until the emergence of H5N1 and more recently H7N9 viruses [4,5]. These spill-over events have highlighted the importance of understanding the ecology and evolution of influenza viruses in their avian hosts as a pre-requisite to better surveillance and preparedness for pandemic threats [6].

While influenza in humans is thought to involve a relatively short environmental transmission stage (though this is still an area of active investigation [7–9]), accumulating evidence suggests that transmission of influenza in aquatic birds involves a potentially long-lasting environmental stage. In aquatic birds, the main route of transmission is thought to be faecal–oral [2]. While the proximity of many birds in large flocks can lead to rapid transmission and large-scale outbreaks, it has recently been appreciated that prolonged persistence of influenza...
virus in the aquatic environment is possible [10–13]. This might lead to additional, indirect chains of transmission [14–18].

Influenza virus circulation and long-term maintenance in avian populations is probably determined by a combination of explosive, essentially direct transmission and episodic contributions from the environmental reservoir [19]. The precise impact of environmental transmission is thought to be determined by virus-specific durability under different abiotic conditions. Specifically, temperature appears to be a particularly important determinant of AIV persistence, as quantified via laboratory incubations [10,20,21].

The importance of both environmental persistence and within-host replication for the overall fitness of avian influenza makes it a prime target to study the existence of potential trade-offs across scales. Within an infected host, efficient replication and immune evasion are central. At the population level, efficient transmission between hosts, potentially with good environmental persistence as an intermediate stage, is a critical component of overall pathogen fitness [22–26]. It is plausible, then, that different constraints act at different parts of this cycle and that potential conflicts between optimizing fitness for one component versus another may lead to trade-offs.

In recent years, several mainly theoretical studies (often going by the name of multi-scale studies) have considered aspects of pathogen replication and transmission cycles and have shown that trade-offs can arise under straightforward assumptions (e.g. [27–29] for recent reviews). While these studies provide useful insights regarding the general features of such trade-offs and the circumstances under which they should be expected, direct experimental tests of multi-scale trade-offs are less common. One notable exception is a study on environmental survival and growth in phages, where a trade-off between the environmental persistence of coliphages with replication efficiency in the bacterial host was demonstrated [30].

To our knowledge, while multi-scale trade-offs in influenza A viruses have been postulated [31], no direct evidence of their existence has been presented. Here, we combine mathematical models with a unique dataset of viral load dynamics following influenza infections in ducks and viral persistence in water to analyse the temperature-dependent persistence phenotype and study whether this phenotype encounters any trade-offs. We find—perhaps surprisingly—little evidence for a trade-off of this phenotype between the environmental and the within-host scales. Instead, confirming findings from a previous study [31], we find that a temperature-dependent trade-off exists on a single scale, namely the environmental stage.

2. Material and methods

(a) Experimental data

The data we analysed quantified virus persistence as a function of temperature from in vitro experiments, together with virus load estimates from influenza infections in ducks. The seven virus isolates were obtained from an ongoing long-term surveillance of AIV circulation in wild birds in Minnesota, USA [32,33].

Five viruses were isolated from dabbling ducks between 14 and 16 September 2007 at Roseau River Wildlife Management Area, Minnesota, USA. For these viruses, we previously provided evidence that they arose from a limited gene pool, probably resulting from genetic reassortment between circulating viruses in the sampled duck population [34]. Two additional viruses were isolated from surface lake water [20]. These two strains, which are genetically more different, are marked with an asterisk (*) throughout the paper.

For all isolates, virus persistence in water as a function of temperature as well as virus shedding pattern in mallards (Anas platyrhynchos) were assessed. Virus persistence (i.e. virus infectivity over time) was measured based on the median tissue culture infectious dose in Madin-Darby canine kidney cells. Virus load was quantified based on the Matrix gene copy number in cloacal and oropharyngeal samples estimated by real-time PCR. Note that we performed all analyses described below for both the cloacal and the oropharyngeal data. Results and conclusions were the same for both the cloacal and oropharyngeal data. We therefore present here only results for the cloacal data owing to its greater importance as a route of potential environmental transmission. Further details related to the experimental design and methodology are available from the previously published studies [20,34].

(b) Temperature-dependent decay equation

We fitted the rate of virus decay $c(T)$ as a function of temperature $T$ (in degrees Celsius) using the simple exponential equation $c(T) = a e^{\beta T}$. For each virus strain, we estimated two parameters, $a$ and $\gamma$, which represent the rate of virus decay at 0°C ($a$) and the sensitivity of viral decay to increasing temperature ($\gamma$). Assuming a normal distribution for the error structure, for each strain we minimized the sum of squared residuals (SSR) given by $SSR = \sum_{i} (c_i - m_i)^2$, where $c_i$ and $m_i$ are model and data values at temperature $T$. We also performed parameter fits under the assumption that errors are lognormally distributed. Specifically, we minimized $SSR = \sum_{i} (\log(c_i) - \log(m_i))^2$.

(c) Within-host models

We used two different models to fit the virus load data obtained from infection experiments. The first was a simple mechanistic model we used previously to fit similar data [31]. This simple model and variants have been used in several recent analyses of influenza A virus within-host infection dynamics (e.g. [35,36] for reviews). The model tracks uninfected cells, $I_{\text{u}}$, infected cells, $I_{\text{i}}$, and free infectious virus, $V$. Cells become infected at rate $k$, infected cells produce virus at rate $\rho$ and die at rate $\delta$. Free virus is cleared at rate $\sigma$. The equations for uninfected cells, infected cells and free virus are given by $dI_{\text{u}}/dt = -kIV$, $dI_{\text{i}}/dt = -kIV - dI_{\text{i}}$ and $dV/dt = pl - dV$. In addition to this mechanistic model, we also considered a simple phenomenological model that has been shown to provide a good fit to virus load curves for influenza infections [37]. The equation is given by $V(t) = 2V_0/\left[\exp[-\lambda_0(t-t_0)] + \exp[-\lambda_1(t-t_0)]\right]$. Here, $t$ is the time post infection, $V(t)$ the virus load at time $t$, and $V_0$, $\lambda_0$, $\lambda_1$ and $\lambda_2$ are the four model parameters to be estimated. We refer the reader to [38] for a more detailed explanation and rationale for this model. As the focus of our study was not on model comparison or parameter estimation, the important consideration was that both the mechanistic model and the phenomenological model provided a good and robust fit to the virus load data and allowed us to easily compute the area under virus load curve, which we used to quantify fitness (see §2d).

The within-host models were fit to the data by minimizing the sum of squared errors for the logarithm of the virus load. Data at the limit of detection (i.e. left-censored data) were handled as described previously [39]. The limit of detection for the virus load was 2.07 EID50 (EID50 = median embryonic infectious dose). For the mechanistic model, we set the initial number of uninfected target cells to $2.5 \times 10^7$ as done previously [31,40].

(d) Defining fitness

The fitness of a pathogen is largely determined by its ability to transmit from host to host. There are several plausible ways one can map within-host dynamics to some measure of
transmission fitness [31,41–48]. Given that our data provides information on viral load, we focus on this quantity and define a measure of fitness that provides a mapping between viral load and the potential for transmission. The first important component is to estimate the total amount of virus shed by an infected host. For our study, the within-host infection data provide cloacal virus concentration. While no information is available on the total viral shedding in these experiments, elsewhere we have shown that the relationship between virus load and nasal shedding in human influenza A infections can be described by a sigmoid function connecting the logarithm of the virus load to nasal discharge [42], given by the expression

\[ S(t) = V(t) \left( \frac{k_1 \log_{10}(V(t)^{b_5})}{k_3^2 + \log_{10}(V(t)^{b_5})} + k_4 \right). \]

A similar sigmoid relation is plausible for avian hosts. The parameters \( k \) define the shape of the sigmoidal function. For our numerical analysis below, we set \( k_1 = 6, k_2 = 5, k_3 = 2.5 \) and \( k_4 = 1.5 \), which are values close to those previously determined by fit of this sigmoid curve to shedding data for humans [42]. To quantify fitness, a second component is important, namely the infection probability of a contact host for a given amount of virus exposure. The ability to infect new hosts is probably a better measure of transmission fitness than the amount of shedding alone. A simple relationship for the probability of infection as a function of pathogen dose is given by \( q(t) = 1 - e^{-wS(t)} \), where \( w \) is a constant describing the infectiousness of a specific pathogen [43,49–51]. Such a relationship seems to hold for influenza, as suggested by a recent dose-response analysis for human influenza [51] and evidence from avian hosts [52]. Using this expression provides a measure of fitness, given by \( F = \int_0^T q(t)dt = \int_0^T 1 - e^{-wS(t)}dt \), where \( D \) denotes the duration of infectiousness and is defined as the time from the start of the infection until the end, which we defined as the time free virus levels drop below a threshold (assumed to be one virion for our numerical simulations below). Based on [51], we set \( w = 10^{-2} \).

(e) Model implementation

All analyses were carried out in the R programming environment [53]. The code is available from the corresponding author upon request.

3. Results

(a) Quantifying temperature-dependent environmental persistence

The environmental component of our data consists of the rate of virus decay for varying temperatures. Visual inspection showed a simple exponential relationship between temperature and virus decay rate. To quantify this relationship for each strain, we parametrized virus durability as a function of temperature, \( c(T) = c_0 e^{T_0} \) (see Material and methods). Figure 1a,b shows the data and best-fit exponential curves assuming normally distributed errors. While on a linear scale, the fits appear in good agreement with the data (panel (a)), plotted on a logarithmic scale, the fit looks poor for low temperatures (panel (b)). This is not surprising, as data points with higher values have higher absolute error and the discrepancy between model and data for those values influences the best fit more compared with lower temperature values. We also carried out a fit assuming lognormally distributed errors. Figure 1c,d shows the best-fit exponential curves for this scenario. With this approach, the fits look better when viewed on a log-scale (panel (d)). However, on a linear scale most of the high-temperature values are poorly fitted (panel (c)). We are not aware of a compelling \textit{a priori} reason why one assumption with regards to error structure is biologically more justified. Hence, we carried out the following analyses for both error assumptions. Table 1 lists estimated values for \( \alpha \) and \( \gamma \) for each strain for both fitting approaches.

Figure 1. Virus decay rate for different influenza strains as function of temperature. Symbols show data, and lines show best fit. Panels (a,b) show fits plotted with linear and logarithmic y-axes of the exponential decay equation to the data assuming normally distributed errors. Panels (c,d) shows fits assuming lognormally distributed errors. Among the seven virus strains, five were isolated from dabbling ducks and two from surface lake water (marked with an asterisk (*)). See Material and methods for more details. (Online version in colour.)
Table 1. Best-fit values for the decay function parameters under the normal and lognormal error assumptions.

<table>
<thead>
<tr>
<th>Strain</th>
<th>Normal Errors</th>
<th>Lognormal Errors</th>
</tr>
</thead>
<tbody>
<tr>
<td>H3N8</td>
<td>$4.37 \times 10^{-3}$</td>
<td>$1.18 \times 10^{-3}$</td>
</tr>
<tr>
<td>H3N8*</td>
<td>$4.37 \times 10^{-3}$</td>
<td>$1.14 \times 10^{-3}$</td>
</tr>
<tr>
<td>H4N6*</td>
<td>$4.02 \times 10^{-3}$</td>
<td>$1.21 \times 10^{-3}$</td>
</tr>
<tr>
<td>H4N8</td>
<td>$3.06 \times 10^{-3}$</td>
<td>$1.31 \times 10^{-3}$</td>
</tr>
<tr>
<td>H6N1</td>
<td>$2.93 \times 10^{-3}$</td>
<td>$1.32 \times 10^{-3}$</td>
</tr>
<tr>
<td>H6N2</td>
<td>$5.23 \times 10^{-3}$</td>
<td>$1.20 \times 10^{-3}$</td>
</tr>
<tr>
<td>H6N8</td>
<td>$5.23 \times 10^{-3}$</td>
<td>$1.42 \times 10^{-3}$</td>
</tr>
</tbody>
</table>

Figure 2. Best fits of the two within-host models to the virus load data for each infected duck. (For one strain data for only four animals is available.) Solid and dashed lines are best fits to the ordinary differential equation (ODE) model and phenomenological model, respectively. Note that the two alternative models produce results for most hosts that are almost indistinguishable. (Online version in colour.)
Environmental persistence at high temperatures does not affect within-host fitness
As figure 1 and table 1 show, strains differ in their ability to persist at low and high temperatures. A strain with relatively poor persistence at high temperatures could be assumed [31] to fare poorly during infection within a host, where internal temperatures can be high (e.g. 40°C inside a duck [54,55]). As we have viral load data following infections in ducks for each strain, we can directly test the hypothesis that increased high-temperature decay rate affects virus load and therefore within-host fitness. We determined total virus load (area under the curve) by fitting both the mechanistic model and the phenomenological model to virus load data. Best-fit curves for the two models for each strain and duck are shown in figure 2.

Using the best-fit viral load curves, we can compute the fitness measure described in the Material and methods. This allows us to test the hypothesis that higher virus decay at within-host temperatures ($c_w = c(T = 40) = ae^{r_0}$) leads to lower virus fitness. Figure 3 shows this not to be the case. While a slight negative correlation between reduced persistence (i.e. higher decay rate) and reduced shedding was notable, the confidence intervals for the regression line include a line with zero slope, i.e. no correlation. In addition, there is substantial variability in fitness for any given strain, which would also make any conclusion about a correlation across strains suspicious. We therefore conclude that the assumption in our previous study [31], namely that faster virus decay at a high within-host temperature correlates with lower within-host fitness, does not seem hold—at least for the dataset and fitness measure we investigate here.

No multi-scale trade-off between direct transmission fitness and environmental persistence
While §3b showed that the decay rate at within-host temperature does not affect within-host fitness, it is still plausible that there are general trade-offs between the virus persistence phenotype and other phenotypes that affect within-host fitness. For instance, viruses that persist well at low temperatures may pay a fitness cost that impacts another trait (e.g. lower replication rate at high within-host temperatures). If such a
phenomenon were to occur, we would expect a trade-off between within-host fitness and environmental persistence, i.e. clearance rates at low temperatures. Figure 4 shows that such a trade-off is not present in our dataset. If anything, there is a slight positive correlation between increased environmental decay rate and increased within host fitness. However, again all results include the no-correlation, zero-slope line within their confidence intervals. Therefore, these results suggest that there is no evidence in these data for a trade-off between environmental persistence and within-host fitness. The two scales do not seem to be linked for this phenotype.

(d) Avian influenza shows a single-scale temperature-dependent persistence trade-off

We previously reported a trade-off for the temperature-dependent persistence phenotype on the environmental scale. Specifically, we found for a panel of 12 different influenza strains a trade-off between low $\alpha$ (good persistence at low temperature) and low $\gamma$ (insensitivity to high temperature). As figure 5 shows, analysis of this new dataset confirms this trade-off. As previously found, there is a negative linear correlation for both $\log(\alpha)$ versus $\log(\gamma)$ and the relative ranks of $\alpha$ and $\gamma$. The trade-off exists independent of the assumption about the error structure made when fitting the data. The combination of results in figure 5 and those previously reported in [31] suggests strongly that there is indeed a trade-off for virus decay at different temperatures, with some strains optimizing persistence at low temperatures, while others fare relatively better at high temperatures.

4. Discussion

Improving our understanding of the ecology and evolution of influenza viruses specifically, and pathogens in general, remains a high priority to ensure animal and human health. The full replication and transmission cycle of most pathogens consists of many distinct processes, and it should be expected that fitness trade-offs between those different aspects exist. This has been an intense area of investigation in recent years, mainly with the help of theoretical models. Here, taking advantage of a unique dataset, we analysed the potential of trade-offs for the persistence phenotype of avian influenza A virus. Perhaps surprisingly, we found no convincing evidence for a trade-off between environmental and within-host scales for this phenotype.

Several potential explanations could account for this finding. One reason for the absence of differences in within-host
fitness between strains might be the fact that the viruses were genetically too similar, which is especially true given that the five strains were isolated from the same location [34]. While the strains showed differences in decay rates despite their genetic similarity, the within-host viral kinetics were similar between strains. In fact, variation among hosts for a given strain was the dominant source of fitness differences. It might be of interest to obtain within-host shedding data for a broader and more diverse array of virus strains isolated from different aquatic bird species. This might provide some indication as to the host adaptations and restrictions for specific viruses.

A related reason might be that we simply do not have enough data. It is conceivable that additional data would narrow the confidence intervals to a level where statistical significance is achieved. Even then, given that the slope we found in all best-fit estimates is rather close to zero, such statistical significance might not be of much practical relevance.

Another possible explanation for the lack of a robust correlation is that the trade-off between the persistence phenotype is not with fitness as defined by our fitness measure, but some other aspect of within-host infection dynamics. One additional quantity we investigated was the duration of the infection. We found no correlation between infection duration and decay rates, independent of error assumption for the decay rate estimates or the choice of within-host model. Other measures, such as strength of immune response and disease severity would be interesting to explore in the future, but data for those were not available for this study.

Lastly, what we consider the most likely explanation is that there is simply no cross-scale interaction for the temperature-dependent persistence phenotype. Natural decay rate is probably not an important determinant of the within-host infection process. It seems that mechanisms other than virus decay rate dominate the within-host dynamics and therefore dominate any potential effect of a higher within-host virus decay rate. Other aspects, such as immune evasion ability, replication speed, ability of virus to bind to and be released from cells [41], and other features are probably more important drivers of within-host fitness. In contrast to a previous elegant study for phages [30], we did not see a trade-off between persistence and any of these probably important within-host phenotypes—at least not detectable through our fitness measure.

While no across-scale trade-off was detectable, we confirmed our previous finding of a constraint at the environmental scale, with some strains favouring persistence in water at low temperatures while others fare comparatively better at higher temperatures [31]. This suggests that different temperature-dependent environmental persistence strategies might facilitate viral coexistence in distinct ecological niches. Such trade-offs within a specific phenotype have been shown previously for different systems and phenotypes (see [56] for some pertinent work). We are currently unaware of any mechanisms that could explain this observed trade-off. Figuring out this mechanism, and understanding if it applies to human influenza strains and other pathogens seems a worthwhile venue for future investigation.

To summarize, we found no evidence for a constraint in the virus persistence phenotype at the within- and between-host scales. This trait, therefore, may evolve independently across each level of organization. We did find evidence for a trade-off on a single—the environmental—scale. We conclude that to fully understand the transmission and evolutionary

![Figure 5. Correlation between low- (a) and high- (γ) temperature persistence. Panels (a,c) show correlation between absolute values, (b,d) between ranks of the parameters. Panels (a,b) show results for fits assuming normally distributed errors, panels (c,d) assume lognormally distributed errors. Also shown are linear regression lines with 95% confidence intervals. (Online version in colour.)](http://rspb.royalsocietypublishing.org/)

dynamics of influenza A viruses, it is important to integrate data and models at both the infection dynamics and the persistence of the virus in the environment, within a combined ecological and within-host framework.

Acknowledgements. We thank the reviewers for useful and constructive feedback, which helped to improve this article.

References

18. Beauchemin CAA, Handel A. 2011 A review of mathematical models of influenza A infections within a host or cell culture: lessons learned and


Correction to: Trade-offs between and within scales: environmental persistence and within-host fitness of avian influenza viruses

Andreas Handel¹, Camille Lebarbenchon³, David Stallknecht² and Pejman Rohani⁴,⁵,⁶

¹Department of Epidemiology and Biostatistics, College of Public Health, and ²Department of Population Health, College of Veterinary Medicine, The University of Georgia, Athens, GA 30602, USA
³University of Reunion Island, Avenue Rene Cassin, Saint-Denis Cedex 97715, Reunion Island
⁴Department of Ecology and Evolutionary Biology and ⁵Center for the Study of Complex Systems, University of Michigan, Ann Arbor, MI 48109, USA
⁶Fogarty International Center, National Institutes of Health, Bethesda, MD 20892, USA


Table 1 of our original publication [1] inadvertently listed the same best fit values for α and γ under the normal and lognormal error assumptions. The corrected version of table 1 is shown here. All computations and results shown in the paper [1] were done using the correct values, therefore nothing else changes. We apologize for this error.

Table 1. Best fit values for the decay function parameters under the normal and lognormal error assumptions.

<table>
<thead>
<tr>
<th>strain</th>
<th>normal errors</th>
<th>lognormal errors</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>α</td>
<td>γ</td>
</tr>
<tr>
<td>H3N8</td>
<td>6.51 × 10⁻⁴</td>
<td>1.98 × 10⁻¹</td>
</tr>
<tr>
<td>H3N8*</td>
<td>1.63 × 10⁻⁴</td>
<td>2.55 × 10⁻¹</td>
</tr>
<tr>
<td>H4N6*</td>
<td>2.65 × 10⁻⁴</td>
<td>2.32 × 10⁻¹</td>
</tr>
<tr>
<td>H4N8</td>
<td>2.50 × 10⁻⁴</td>
<td>2.35 × 10⁻¹</td>
</tr>
<tr>
<td>H6N1</td>
<td>6.65 × 10⁻⁴</td>
<td>1.96 × 10⁻¹</td>
</tr>
<tr>
<td>H6N2</td>
<td>9.50 × 10⁻⁴</td>
<td>1.86 × 10⁻¹</td>
</tr>
<tr>
<td>H6N8</td>
<td>1.34 × 10⁻⁴</td>
<td>2.67 × 10⁻¹</td>
</tr>
</tbody>
</table>

Reference